# Exploration for Astromers near <sup>132</sup>Sn with the Canadian Penning Trap

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Nuclear isomers can have significant impacts on astrophysical nucleosynthesis processes, with recent efforts demonstrating that the population of isomeric states with different half-lives may require separate treatment in reaction networks to accurately capture the differences in heating or in identifiable electromagnetic signals. Several potential so-called "astromers" in tin and antimony isotopes near doubly-magic  $^{132}$ Sn were identified and direct mass measurements of their ground and isomeric states were performed with the Canadian Penning Trap at Argonne National Laboratory's CARIBU facility, and their impact on astrophysical reaction rates and in reaction networks calculated. It was found that  $^{129g,m}$ Sn, with measured mass excesses of -80593.2(25) keV and -80557.4(25) keV, respectively, and an excitation energy of 35.8(35) keV, behaves as an astromer during neutron capture in the i-process and in the r-process.

# I. INTRODUCTION

The synthesis of the vast majority of isotopes heavier than iron occurs in the hot, neutron-rich environments where the rapid (r), intermediate (i), and slow (s) neutron capture processes occur. Our understanding of these astrophysical processes relies in part on models employing nuclear reaction networks. These reaction networks incorporate various pieces of nuclear data, including masses, half-lives, and capture rates. Excited nuclear states are traditionally treated either by only considering the ground state or by considering a Boltzmann distribution of all excited nuclear states. It has long been recognized that a species with an isomeric state can fail to reach thermal equilibrium, and so both ground and isomeric states must be treated as separate nuclear species in a network, such as in the notable case of  $^{26}$ Al [1-4].

Recently, there has been renewed interest in the impacts of isomeric states on nucleosynthesis in astrophysical environments. Isomeric states can have significantly different decay lifetimes, among other properties, from their ground state counterparts, and can affect nucleosynthesis processes through deferring or accelerating heating by impacting  $\beta$ -decay lifetimes or produce identifiable electromagnetic signals [5]. Recent studies have explored the impact of isomers on r-process simulations that are populated either directly in decays or thermally in the astrophysical environment [5–7]. In the s process, studies have also considered isomers populated during neutron capture [8].

Such astrophysically relevant isomers are called "Astromers" [5]. Recent experimental efforts have shown the impact that new, high precision mass measurements can have on our understanding of these states [9, 10], and studies of the impact of potential astromers has shown the presence of several candidates in the vicinity of doubly-magic <sup>132</sup>Sn [5]. We thus embarked on a campaign of Penning trap mass measurements of potential astromers in antimony and tin isotopes in this vicinity to determine isomeric excitation energies and mass excess of these nuclei.

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### II. EXPERIMENTAL SETUP AND ANALYSIS

Here we report new mass values for neutron-rich tin and antimony isotopes near <sup>132</sup>Sn produced at Argonne National Laboratory's CAlifornium Rare Isotope Breeder Upgrade (CARIBU) facility [11, 12] and measured with the Canadian Penning Trap mass spectrometer (CPT) [13]. CARIBU beam production begins by slowing fission fragments from a  $\sim 0.5$  Ci <sup>252</sup>Cf source with a thin gold foil and then stopping them in a largevolume, helium-filled gas catcher. After the beam is extracted through a radiofrequency quadrupole (RFQ), it passes through a high-resolution magnetic mass separator [14] which provides preliminary mass separation based on mass number over charge (A/q). This continuous beam is then injected into an RFQ cooler-buncher, reducing the emittance of the beam via collisions with moderate-pressure helium gas, and accumulating and releasing the beam in bunches every 50 ms. The bunched ions then enter the multi-reflection time-of-flight mass separator (MR-TOF) [15] where they remain for approximately 15 ms, allowing for the separation of the ions of interest from isobaric contaminants with a resolving power of  $\frac{m}{\Delta m} > 10^5$ . The ions of interest are then selected with a Bradbury-Nielsen gate [16] at the exit of the MR-TOF before delivery to the CPT experimental setup. On entering the CPT experimental setup, ions are captured and further cooled in a linear RFQ trap before injection into the CPT. The calibrant species used for these measurements, <sup>133</sup>Cs<sup>+</sup>, is instead produced using the CPT's Stable Ion Source, a thermal alkali source located just upstream of the linear RFQ trap.

Once ions are captured in the Penning trap, the Phase-Imaging Ion-Cyclotron-Resonance (PI-ICR) technique [17] is used to measure the cyclotron frequency. As detailed in Ref. [18], in the implementation used at the CPT, the cyclotron frequency  $(\nu_c)$  of an ion is determined through the simultaneous measurement of the reduced cyclotron frequency and the magnetron frequency. For measurements, ions are kept in the trap for a fixed amount of time T. They are first placed into their reduced cyclotron eigenmotion, where they are allowed to accumulate phase for some time  $t_{acc}$ , and then a quadrupole RF pulse at approximately  $\nu_c$  is applied on the Penning trap's segmented ring electrode to convert this to the magnetron eigenmotion, where they accumulate phase for time  $T - t_{\rm acc}$ . Two classes of measurements are taken, reference phase measurements where  $t_{\rm acc} = 0$  and only magnetron phase is accumulated, and final phase measurements where  $t_{\rm acc}>0$  and both magnetron and reduced cyclotron phase are accumulated. The cyclotron frequency can then be determined from the difference between these two phases  $\phi_c$  by:

$$\nu_c = \frac{\phi_{\text{tot}}}{2\pi t_{\text{acc}}} = \frac{\phi_c + 2\pi N}{2\pi t_{\text{acc}}},\tag{1}$$

where  $\phi_{\text{tot}}$  is the total phase accumulated and N is the number of complete revolutions the ion undergoes in  $t_{\text{acc}}$ .

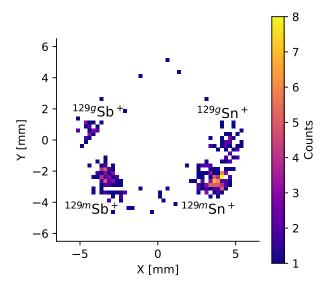


FIG. 1. A histogram of detected ion locations for a sample  $^{129g}\mathrm{Sn^+}$  final phase measurement with phase accumulation time  $t_{\mathrm{acc}}=450.894$  ms. The locations of the four species captured in the trap, which separate due to differing mass-based phase accumulations, are labeled.

Several shorter  $t_{\rm acc}$  measurements, from single to hundreds of ms, are used to identify all of the beam components, including isomeric states. A series of longer  $t_{\rm acc}$  measurements is then done to produce a final measurement, following the techniques described by Ref. [18] to minimize potential systematic uncertainties. A sample final phase measurement with  $t_{\rm acc}=450.894$  ms of  $^{129g}{\rm Sn}^+$  with all the visible beam components identified can be seen in Fig. 1; spots were then clustered and analyzed using a Gaussian mixture model code [19].

As described in Ref. [18], there are two significant sources of potential systematic uncertainty to be corrected for in these PI-ICR measurements. The first can be seen as a clear  $t_{\rm acc}$ -dependent oscillation in measured  $\nu_c$ , which is well-described as a sinusoidal oscillation at the magnetron frequency around the true cyclotron frequency  $\bar{\nu}_c$ . Thus, a series of  $\nu_c$  measurements are taken at various  $t_{\rm acc}$  across roughly one and a half magnetron periods and then fit using the model described in Ref. [18] to find  $\bar{\nu}_c$ . A sample plot of eight final phase measurements taken for  $t_{\rm acc}$  values between 450.019 and 451.022 ms and the fit to determine  $\bar{\nu}_c$  for  $^{129m}{\rm Sn}$  can be seen in Fig. 2.

The other significant correction occurs in the reference phase measurement due to the small but significant accumulation of mass-dependent phase during the excitation periods. Following the procedure in Ref. [18], this is corrected using an iterative process where the reference phase correction is recalculated using the newlydetermined cyclotron frequency until the change in the correction is more than an order of magnitude smaller than the statistical uncertainty. For these data, this correction was smaller than a part in  $10^9$ .

The experimental result in Penning trap mass spectrometry is the frequency ratio between the  $\nu_c$  of the isotope of interest and that of a well-known calibrant mass used to determine the magnetic field strength. For all these measurements, <sup>133</sup>Cs was used as the calibrant mass, and so for a given isotope  $^A$ X,

$$R = \bar{\nu}_c(^{133}\text{Cs}^+)/\bar{\nu}_c(^{A}X^+). \tag{2}$$

The effect of the non-circular projection from the trap to the position sensitive MCP has been corrected using the method described in [20], and the effect of ion-ion interactions has been reduced by limiting analysis to events with 5 or fewer ions detected. Most remaining systematic uncertainties, arising from sources like magnetic field inhomogeneities, misalignment of the trap electrodes, and non-harmonic terms in the trap potential should scale linearly with the difference in mass over charge between the ion of interest and the calibrant. These have been studied using well-known stable isotopes and found in this mass region to have an effect of 4.1  $\times 10^{-10}/\Delta(A/q)$ [20, 21], which was applied and added in quadrature to the statistical uncertainty on R. Remaining systematic uncertainties associated with temporal instabilities in the magnetic field, the electric field in the Penning trap, ionion interactions, and the non-circular final projection of the phase have been studied [22] and determined to have a cumulative effect smaller than 4 parts in 10<sup>9</sup>; this was added in quadrature. The mass can then be determined via,

$$M(^{A}X) = [M(^{133}Cs) - m_e]R + m_e,$$
 (3)

where  $m_e$  is the electron mass. A summary of masses measured in this work and a comparison with previously measured values is presented in Table I.

## III. RESULTS

## A. $^{129g,m}$ Sn

Our new results for  $^{129g,m}$ Sn agree with the values from AME2020[23], but are over 6 times more precise. The previous value comes from a Time-of-Flight Ion-Cyclotron-Resonance (TOF-ICR) Penning trap measurement that could not resolve the isomeric and ground states by Sikler et al. [26] (36% contribution to the AME Value), and from  $\beta$ -endpoint measurements of  $^{129}$ In( $\beta$ -) $^{129}$ Sn (44%) and  $^{129m}$ In( $\beta$ -) $^{129}$ Sn (20%) [27]. Our direct measurement of the isomeric state gives an excitation energy that is in good agreement with the value quoted in NUBASE2020 [24].

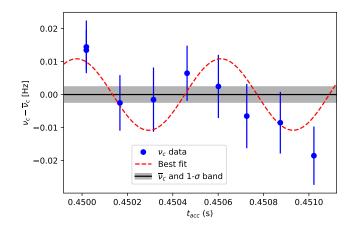


FIG. 2. Measured  $\nu_c$  values for  $^{129m}{\rm Sn}^+$  at eight distinct  $t_{\rm acc}$  values between 450.019 ms and 451.022 ms. The dashed line represents a fit of the model described in Ref. [18] to the data, and the solid line and bar the true  $\bar{\nu}_c$ .

# B. $^{131g,m}$ Sn

Our new results for  $^{131g,m}$ Sn are a factor of 2 more precise than the AME2020 values [23]. Our values are approximately  $3\sigma$  lighter than the AME value, which comes primarily from two previous TOF-ICR Penning trap measurements. Dworschak et al. [28] could not resolve the ground and isomeric states, while Van Schelt et al. [29, 30] did. Our results agree with Van Schelt et al. for the isomeric state very well, and our measured excitation energy is in good agreement with the value from NUBASE2020[24]. We note that in production from spontaneously-fissioning  $^{252}$ Cf, the isomeric state is more populated than the ground state.

# C. $^{132g,m}$ Sb

Our new result for  $^{132g}$ Sb is better than a factor of two more precise than the AME2020 value [23], and our value for  $^{132m}$ Sb is in good agreement with the estimate from NUBASE2020 [24]. The previous ground state mass excess for this nucleus comes from other Penning trap mass measurements, with 83% coming from a TOF-ICR measurement by Hakala et al., [31] and 17% from a TOF-ICR measurement by Van Schelt et al. [29], both of which our measurement is in good agreement with. Our isomeric state is in good agreement with the value from Van Schelt et al. as well [30], as is our measured excitation energy, but both are a factor of 15 more precise. While Kankainen et al.[32] did not produce a definite value for this excitation energy, we are in agreement with their preliminary value of 153(14) keV. Jaries et al. have also recently measured this isotope [25]; while our measured isomeric states are in good agreement, their ground state mass excess does not agree with any previous work, and thus their excitation energy is also in disagreement with

TABLE I. Spins and parities  $(I^{\pi})$ , half-lives  $(T_{1/2})$ , cyclotron frequency ratios  $(R = \bar{\nu}_c(^{133}\text{Cs}^+)/\bar{\nu}_c(^A\text{X}^+))$ , mass excesses (ME), and excitation energies  $E_x$  for the ground and isomeric states of nuclides (X) measured in the present work, compared to literature values.

			Present work			Literature values [keV]			
Nuclide $(X)$	$I^{\pi}$	$T_{1/2}$	R	ME [keV]	$E_x$ [keV]	$ME^{a)}$	$E_x^{a)}$	$ME^{(b)}$	$E_x^{\ b)}$
$^{129g}\mathrm{Sn}$	$3/2^{+}$	2.23(4) m	$0.969 \ 963 \ 694(20)$	-80 593.2 (25)		-80 591(17)			
$^{129m}\mathrm{Sn}$	$11/2^{-}$	6.9(1)  m	0.969 963 983(20)	-80 557.4 (25)	35.8(35)	-80 556(17)	35.15(5)		
$^{131g}\mathrm{Sn}$	$3/2^{+}$	56.0(5)  s	0.985 038 825(16)	-77 278.2 (19)		$-77\ 265(4)$			
$^{131m}\mathrm{Sn}$	$11/2^{-}$	58.4(5)  s	0.985 039 356(15)	-77 212.4 (18)	65.8(26)	$-77\ 200(4)$	65.1(3)		
$^{132g}\mathrm{Sb}$	$(4)^{+}$	2.79(7) m	0.992 543 964 0(82	-79 635.1 (10)		-79 635.3(25)		-79 629.6(27)	
$^{132m}\mathrm{Sb}$	$(8^{-})$	4.10(5) m	0.992 545 137 8(88	79 489.8 (11)	145.3(15)	-79 490(50)#	150(50)#	-79 490.3(33)	139.3(20)

<sup>a)</sup>AME2020 and NUBASE2020 [23, 24].; <sup>b)</sup>Jaries *et al.* [25].

ours.

#### IV. DISCUSSION

We now explore the impact of the new experimental measurements in the context of the astrophysical nucleosynthesis processes. The new mass measurements enter into the calculation of astrophysical reaction rates, via the thermal population of the excited states, as well as in their respective decay [33]. These nuclei may be produced in both the i-process and the r-process. Since the astrophysical conditions associated with the i process and r process differ, they offer complementary avenues for exploring the astromeric character of these nuclei [7].

We simulate neutron capture nucleosynthesis with the Portable Routines for Integrated nucleoSynthesis Modeling (PRISM) astrophysical reaction network [34], which has recently been updated to include support for nuclear excited states. We use the trajectories from recent work to simulate the conditions of both nucleosynthesis processes; the details can be found in Ref. [35].

The relevant transitions associated with the  $^{129}\mathrm{Sn}$  nucleus are shown in Fig. 3. This 'astromer diagram' indicates the effective transitions from ground to isomer (solid red), from isomer to ground (dotted green), and the rates of  $\beta$  decay for the two states (dashed lines). The last overlap of the transition rate with the  $\beta$ -decay rate of the respective rate defines the thermalization temperature, shown with a vertical grey dashed line. Above the thermalization temperature, the nucleus may be treated as one species. Once the temperature falls below this value, the two states must be treated as separate species in astrophysical reaction networks as the transition rate between nuclear states competes with the  $\beta$ -decay rate of a given state. Below this critical threshold, the excited state may now act as an astromer [5]. In the case of <sup>129</sup>Sn, the thermalization temperature is predicted to be around 30 keV, set by the measurements discussed above.

Our measurements yield an estimate of 15 keV for the

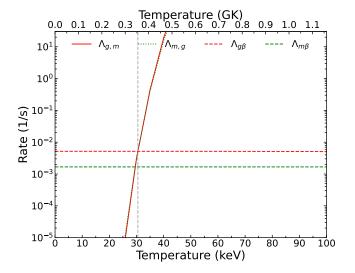


FIG. 3. Astromer diagram for  $^{129}\mathrm{Sn}.$  The solid line indicates transition from the ground state to isomeric state and the dotted line indicates the reverse. Rates of  $\beta\text{-decay}$  for the two states are shown with dashed lines. With present data the  $\beta$  decay thermalization temperature, indicated by the vertical grey dashed line, is estimated to be 30 keV, below which the nucleus may need to be treated as two separate species in astrophysical reaction networks.

thermalization temperature of  $^{132}$ Sb, as seen in the astromer diagram in Fig. 4. In the case of  $^{131}$ Sn, the thermalization temperature is higher, around 77 keV (See astromer diagram, Fig. 5). The high thermalization temperature estimate could come down with further measurement of additional nuclear levels. Nonetheless, since the  $\beta$ -decay rates of the two states are nearly identical, the impact of populating the excited state is limited.

We now discuss the behavior of  $^{129}$ Sn,  $^{131}$ Sn, and  $^{132}$ Sb in network calculations of i-process and r-process nucleosynthesis. In the i-process,  $^{129}$ Sn is found to be an astromer at both early and late times during the duration of neutron capture. Treating this nucleus and others in the network as distinct isomers and ground states reveals

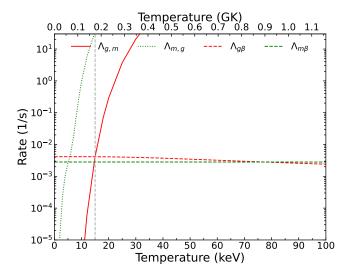


FIG. 4. Astromer diagram for  $^{132}{\rm Sb}$ . Lines are the same as in Fig. 3. With present data the  $\beta$ -decay thermalization temperature is estimated to be 15 keV, below which the nucleus may need to be treated as two separate species in astrophysical reaction networks.

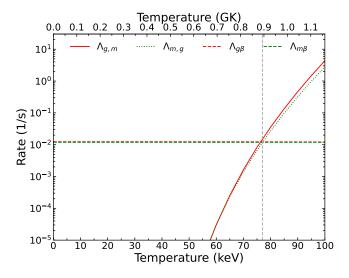


FIG. 5. Astromer diagram for  $^{131}$ Sn. Lines are the same as in previous two figures. With present data the  $\beta$ -decay thermalization temperature is estimated to be 77 keV, below which the nucleus may need to be treated as two separate species in astrophysical reaction networks.

the more complex behavior that is otherwise hidden when they are combined into a single species. This behavior is shown in Fig. 6. In several astrophysical conditions conducive to r-process nucleosynthesis [35],  $^{129}\mathrm{Sn}$  is found to be an astromer at all times; the isomeric state always more populated than the ground state. Fig. 7 shows the behavior of  $^{129}\mathrm{Sn}$  in the r-process.

Our new measurements refine the astrophysical behavior of isomers in  $^{131}{\rm Sn}$  and  $^{132}{\rm Sb}$ . While both isomeric states of these nuclei can become significantly populated

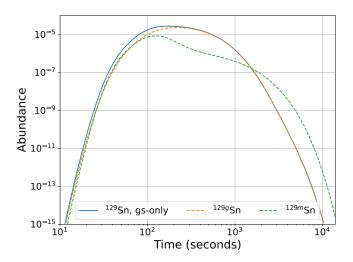


FIG. 6. A network calculation showing the behavior of  $^{129}\mathrm{Sn}$  in the astrophysical i-process. When treated as a single nucleus (solid line)  $^{129}\mathrm{Sn}$  has a larger population. When the ground state is treated separately from the isomeric state,  $^{129m}\mathrm{Sn}$  is found to be an astromer at early and late times (when the green curve is above orange).

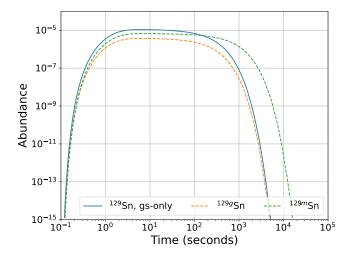


FIG. 7. A network calculation showing the behavior of  $^{129}$ Sn in the astrophysical r-process. The solid line indicates  $^{129}$ Sn treated as a single nucleus. When the ground state is treated separately from the isomeric state,  $^{129m}$ Sn is found to be an astromer at all times.

in both the i-process and r-process, we conclude that neither nucleus behaves as astromer in either environment.

The population of the isomeric state in  $^{131}\mathrm{Sn}$  is marginal. The maximum relative population ratio of the isomer to the ground state is found to be around 15% in the r-process and around 12% in the i-process. Feeding into the isomeric state is primarily through thermal transitions and  $\beta$ -decay. The nucleus  $^{131}\mathrm{Sn}$  can be populated through two potential radiative capture pathways: one proceeding from the ground state of  $^{130}\mathrm{Sn}$  and the other from its excited state at 1946 keV [36].

However, the relatively high excitation energy of this state suppresses its contribution, such that production of <sup>131</sup>Sn occurs predominantly through capture on the <sup>130</sup>Sn ground state. Furthermore, due to the large spin difference involved, neutron capture preferentially populates the ground state of <sup>131</sup>Sn. As a result, across all astrophysically relevant temperatures, the population of the isomeric state remains suppressed relative to the ground state when formed via radiative neutron capture.

In the case of  $^{132}$ Sb, the population of the isomeric state is negligible under both astrophysical scenarios considered. Radiative capture on the ground state of  $^{131}$ Sb favors the direct population of the  $^{132}$ Sb ground state, while production of the isomeric state is consistently suppressed at all temperatures. Moreover, the presence of nearby short-lived states at excitation energies of  $E_x = 85.55$  keV and  $E_x = 254.5$  keV [37] facilitates rapid depopulation of the isomer, even at modest temperatures. Consequently, the isomeric state does not play a significant role in the nucleosynthesis of  $^{132}$ Sb, and the reaction flow proceeds predominantly through the ground state.

### V. CONCLUSIONS

In conclusion, we have conducted new, high-precision mass measurements of  $^{129g,m}\mathrm{Sn}$ ,  $^{131g,m}\mathrm{Sn}$ , and  $^{132g,m}\mathrm{Sb}$  using the Canadian Penning Trap at Argonne National Laboratory's ATLAS user facility's CARIBU facility. Our results for these ground and isomeric states are in good agreement with most of the preceding literature values, and provides the highest-precision determination of the excitation energies of these long-lived isomeric states. We then used these new excitation energies to determine the effective thermal transitions between the ground and isomeric states, their relative  $\beta$  decay rates, and the associated cross sections into and out of these states. The excitation energies were also used to estimate the ther-

malization temperature with respect to  $\beta$ -decay, above which these nuclei may be correctly treated in reaction networks as one species. Reaction network calculations were used to establish that  $^{129m}\mathrm{Sn}$  must be treated as an astromer in the  $i\text{-}\mathrm{process}$  and  $r\text{-}\mathrm{process}$ . Both  $^{131m}\mathrm{Sn}$  and  $^{132m}\mathrm{Sb}$  were determined not to behave as astromers and these isotopes can be safely treated as one species in reaction network calculations. As the thermalization of these nuclei is dependent on the excited states above the isomers, a full understanding of their astromeric nature would benefit from detailed spectroscopy of these states and on the determination of their feeding via  $\beta$  decays.

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